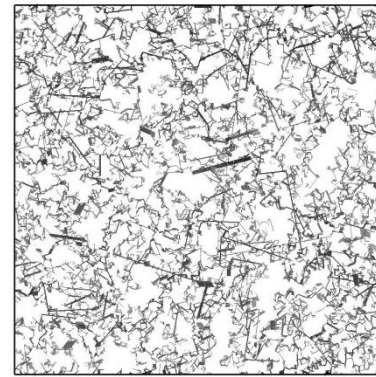
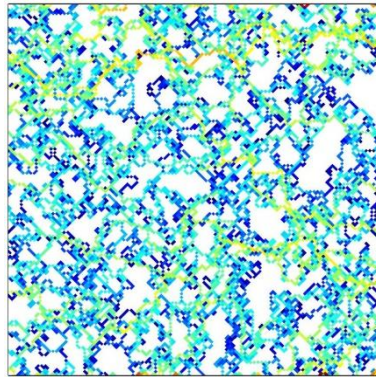
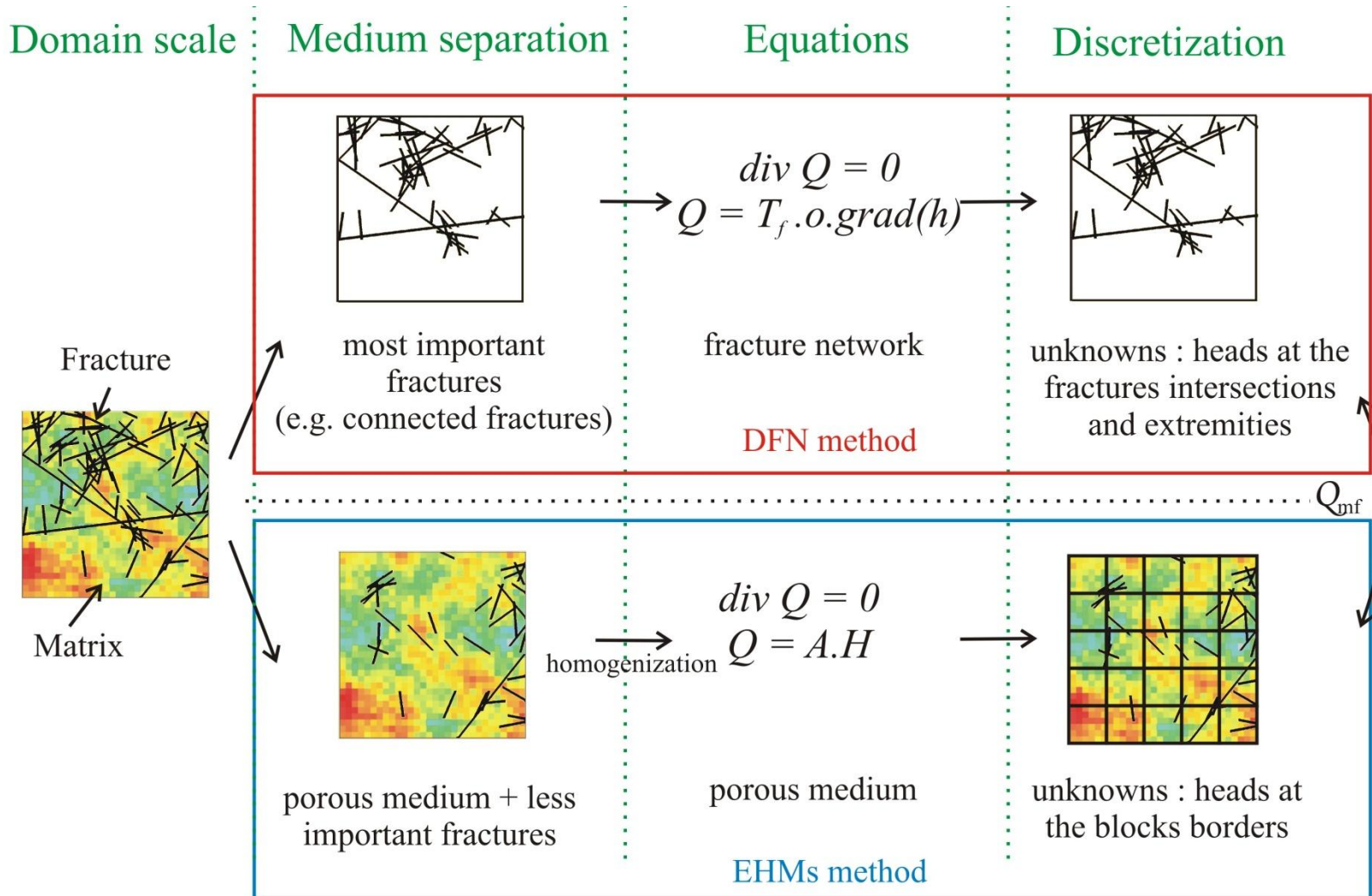


A discrete dual-porosity model for flow in heterogeneous porous fractured media



A discrete dual-porosity model



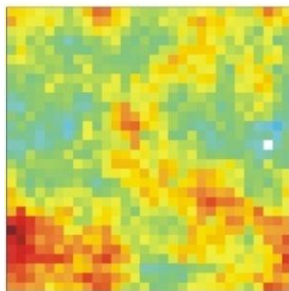
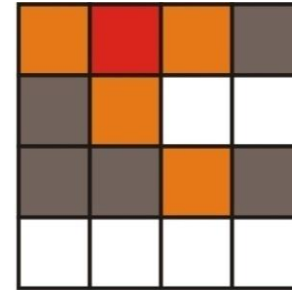
Homogenization methods

1. Scalar permeability

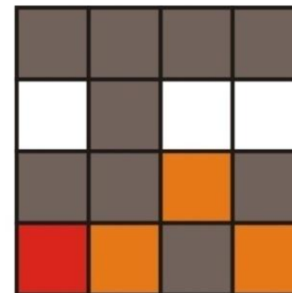
$$q = k \cdot \nabla h$$



mapping fracture network



porous media up-scaling



scalar permeability

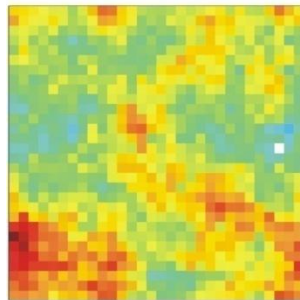
2. Tensor permeability

$$\begin{pmatrix} q_x \\ q_y \end{pmatrix} = \begin{pmatrix} k_{xx} & k_{xy} \\ k_{xy} & k_{yy} \end{pmatrix} \begin{pmatrix} \nabla h_x \\ \nabla h_y \end{pmatrix} = \mathbf{K}_n \begin{pmatrix} \nabla h_x \\ \nabla h_y \end{pmatrix}$$



K_4	K_8	K_{12}	K_{16}
K_3	K_7	K_{11}	K_{15}
K_2	K_6	K_{10}	K_{14}
K_1	K_5	K_9	K_{13}

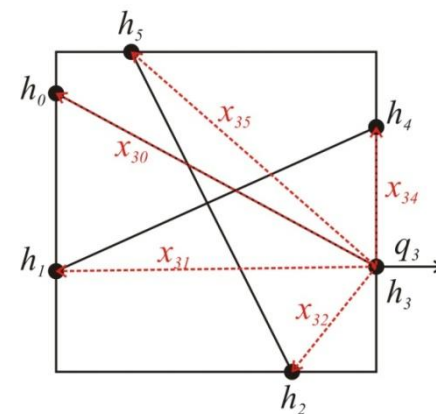
tensor determination by
simulations at the cell scale



K_4	K_8	K_{12}	K_{16}
K_3	K_7	K_{11}	K_{15}
K_2	K_6	K_{10}	K_{14}
K_1	K_5	K_9	K_{13}

3. The Equivalent Hydraulic Matrices method

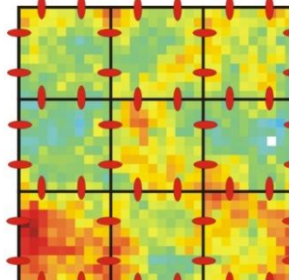
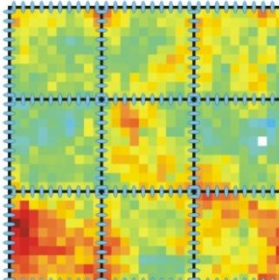
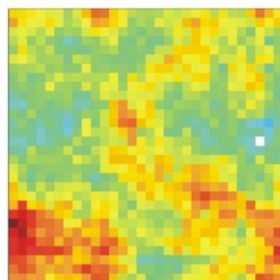
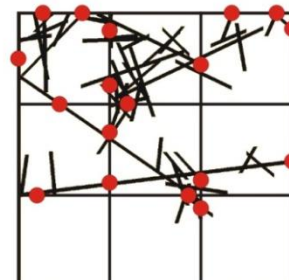
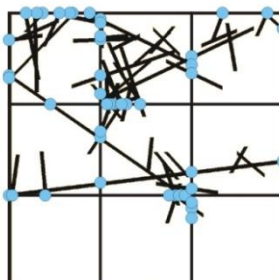
$$q_k = \sum_{l=1}^p A(k,l) \cdot \frac{\partial h_k}{\partial x_{kl}} \rightarrow \begin{pmatrix} q_1 \\ \vdots \\ q_p \end{pmatrix} = A_{EHM} \cdot \begin{pmatrix} h_1 \\ \vdots \\ h_p \end{pmatrix}$$



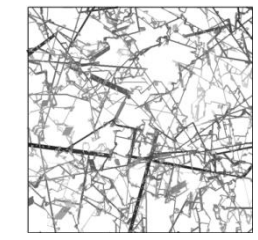
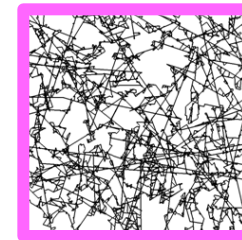
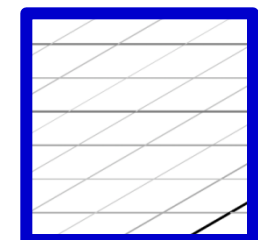
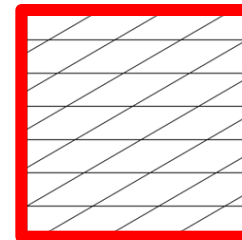
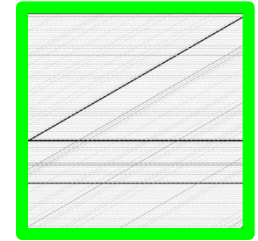
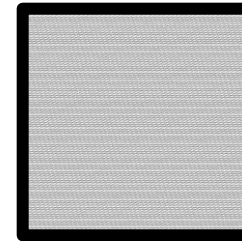
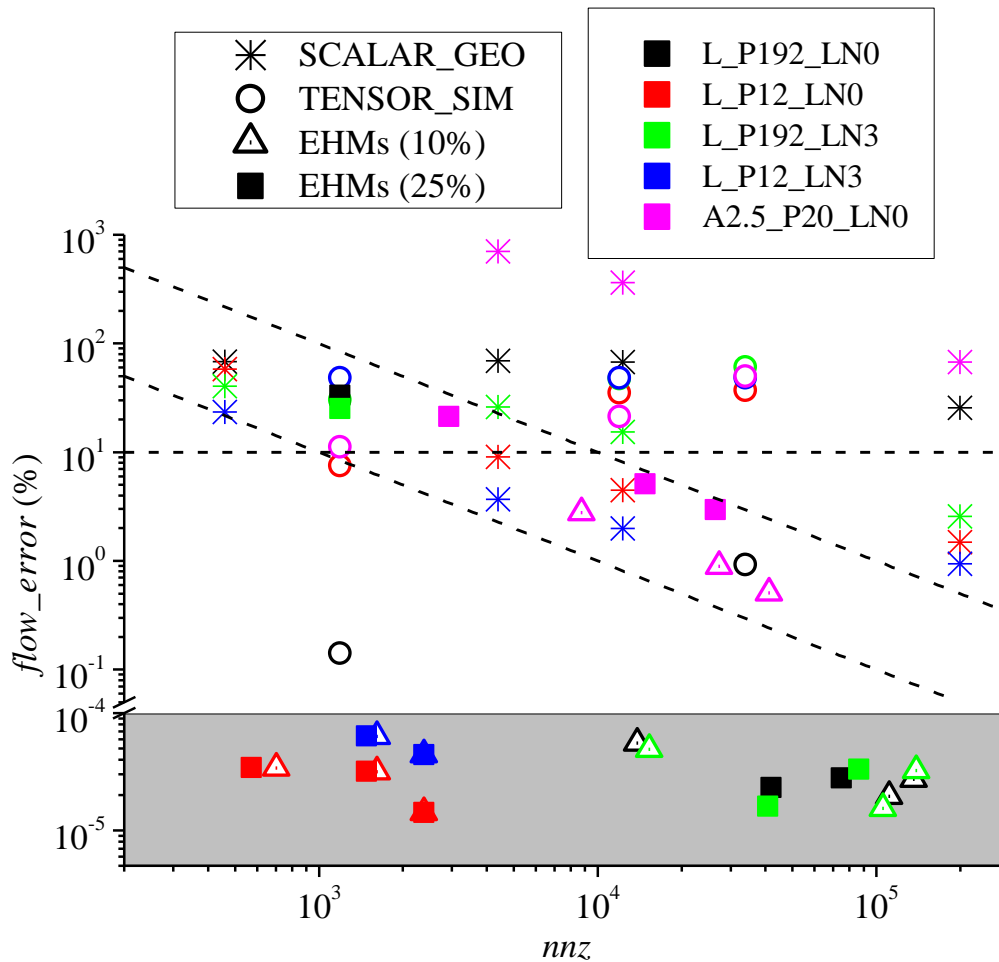
Initial medium

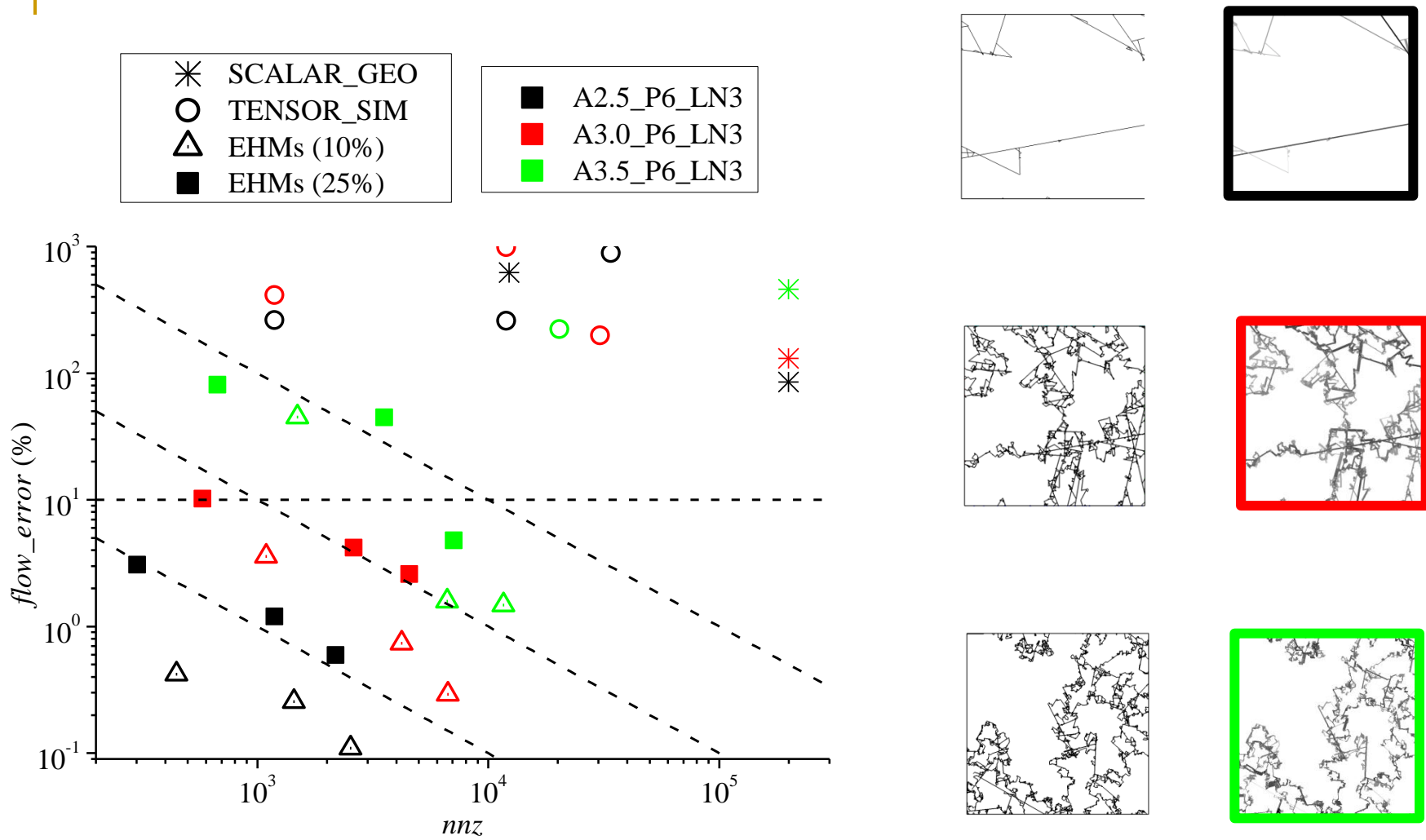
Point discretization

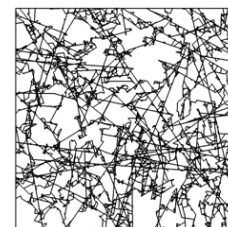
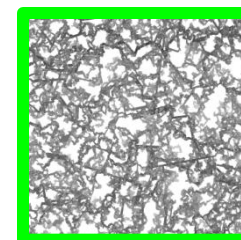
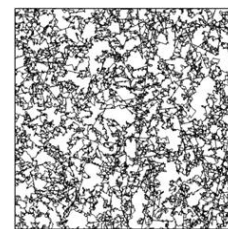
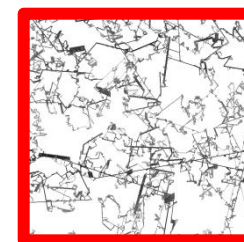
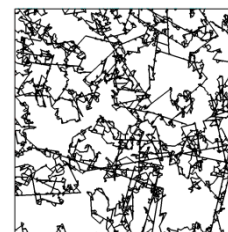
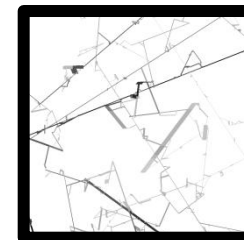
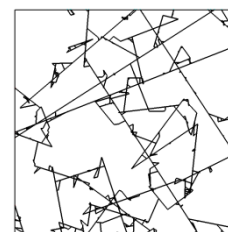
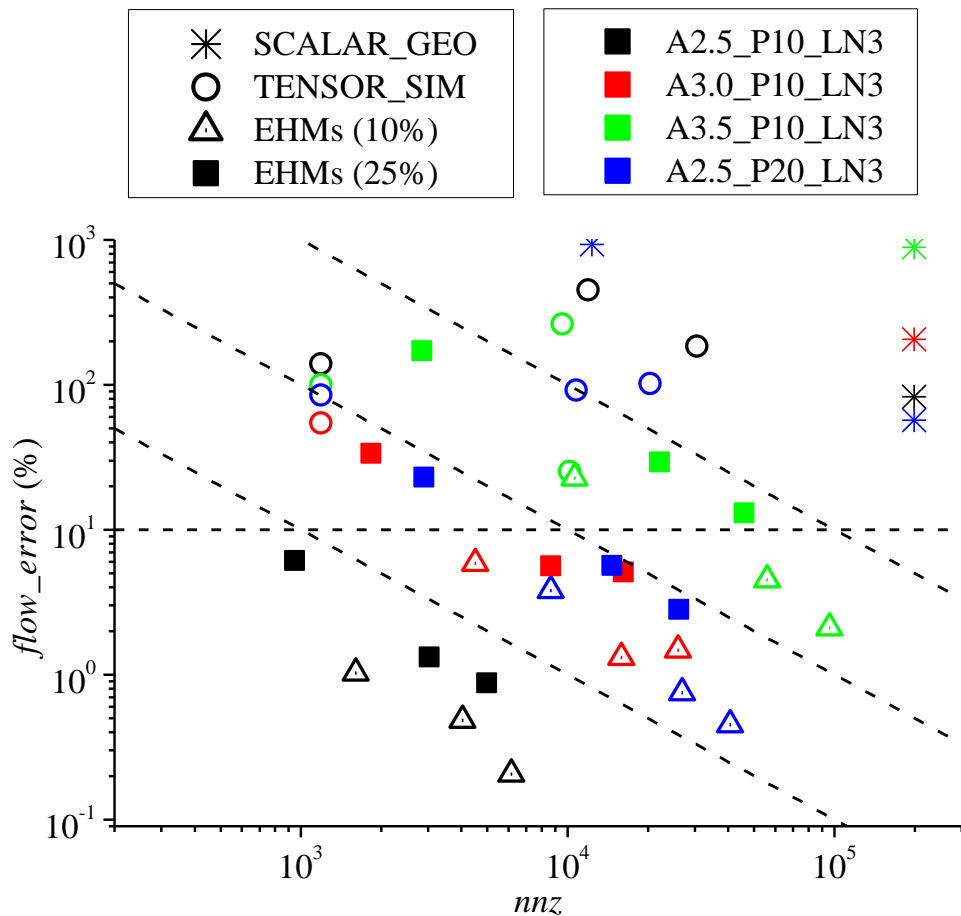
Pole discretization



EHMs assessment for fractured media







Future work

1. *Extension of the EHM's method*

- Assessment of EHM's method for porous media
- Transient
- 3D
- Particle tracking

2. *The discrete dual-porosity model*

- Fracture-matrix exchange : flow and transport
- Comparison model results/field datas (^{222}Rn)

- Fracture/matrix exchange: $Q_{mf} = \alpha \cdot (h_m - h_f)$
- $C_{Rn} = f(\text{rock/fracture surface, flow velocity})$

